

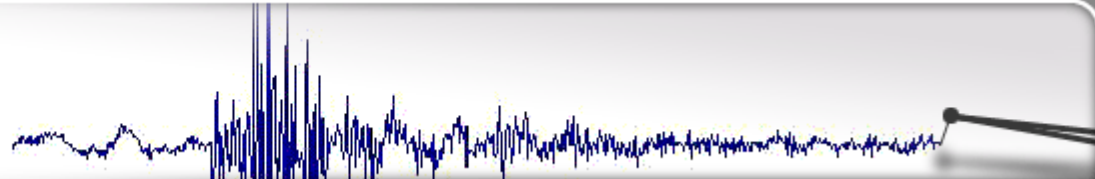
Statistical distributions of seismicity in the Cooper Basin geothermal field – a way towards predictive models of induced seismicity

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2nd Induced Seismicity Workshop
Davos, 14-17 March 2017

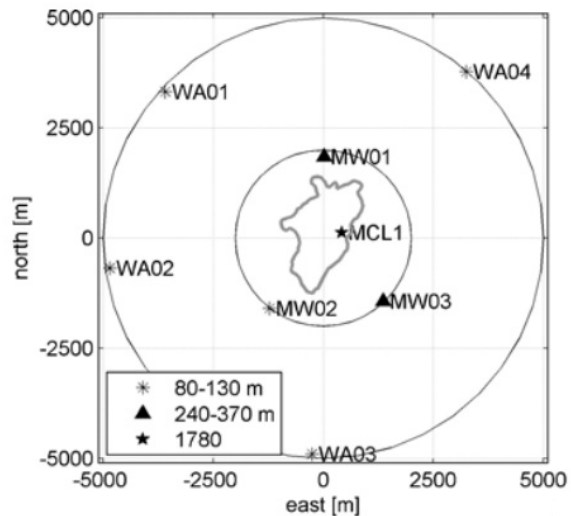


Motivation

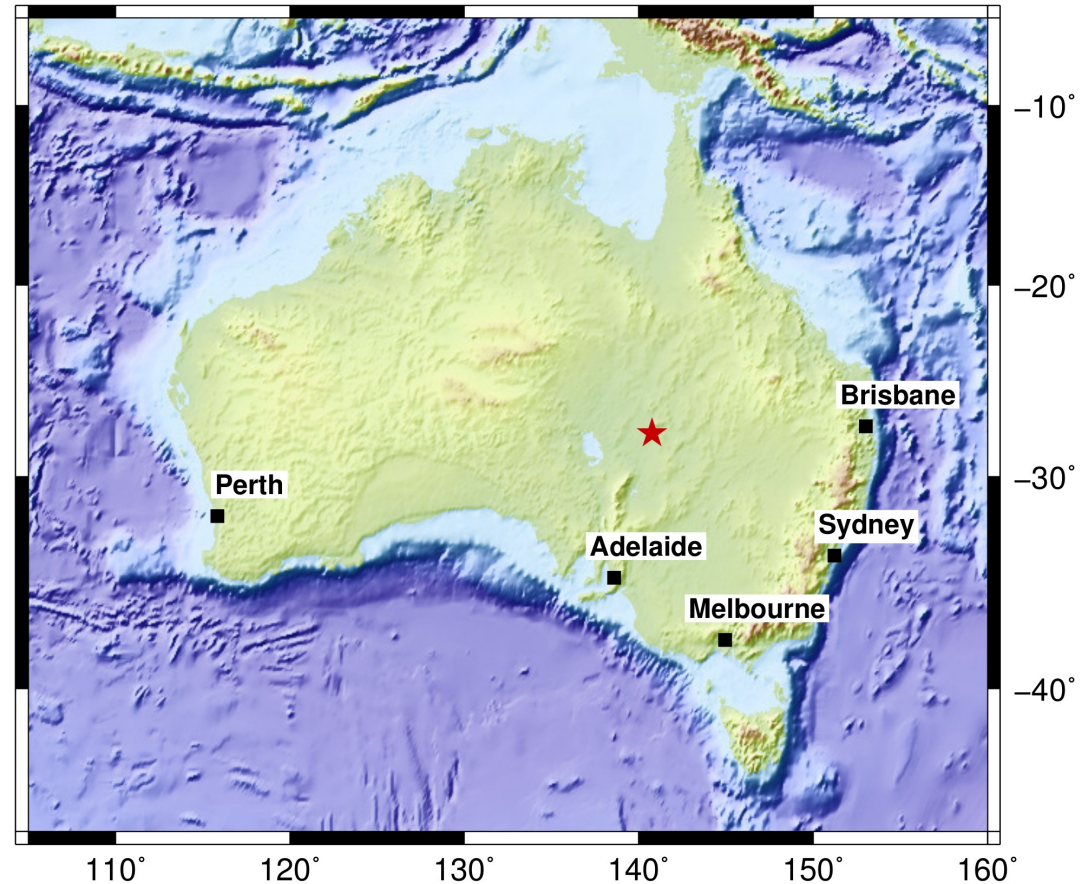
- Seismic hazard estimation relies on specific statistical properties
- Tectonic seismicity has proven to fulfill criteria

Cooper Basin Geothermal Reservoir

- Seismic network (3 components)
 - 1 central (d = 1780 m)
 - 7 shallow (d = 80-400 m)
- 15,300 events detected

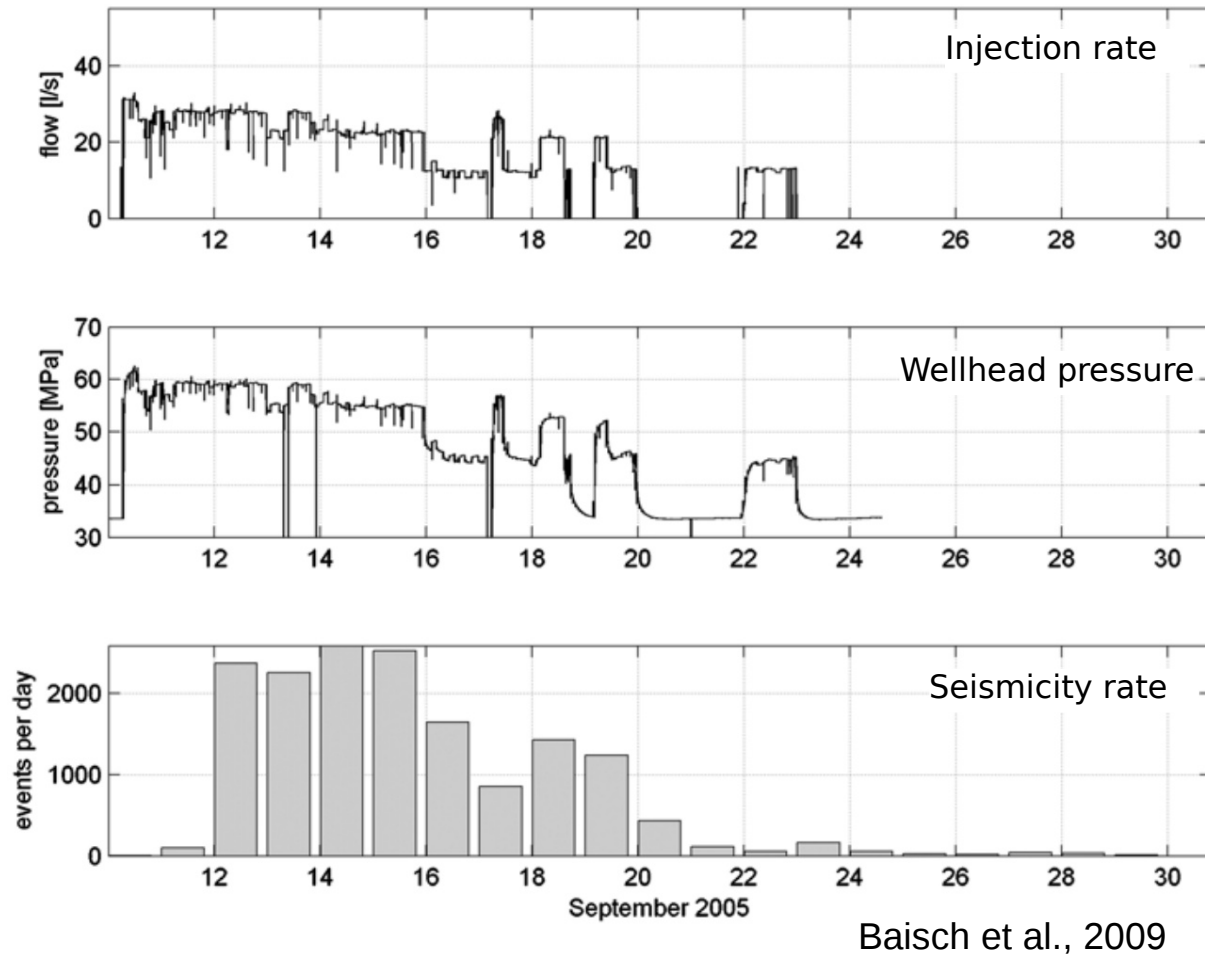


Baisch et al., 2009



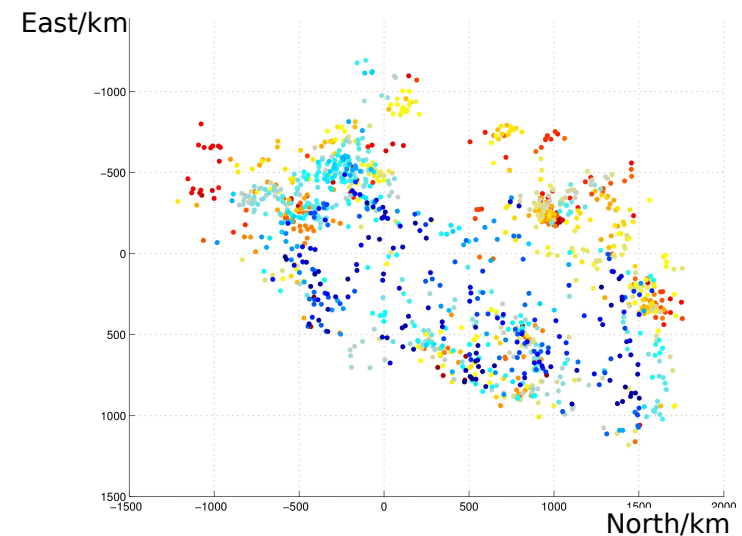
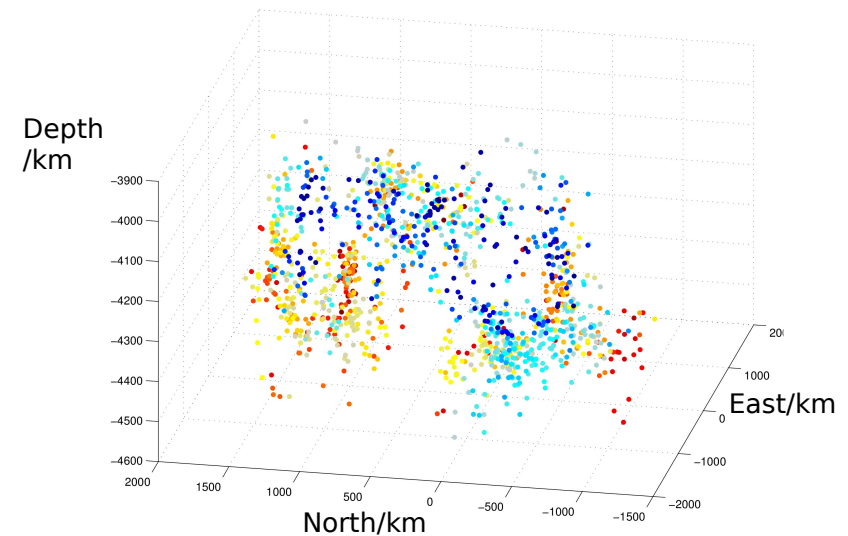
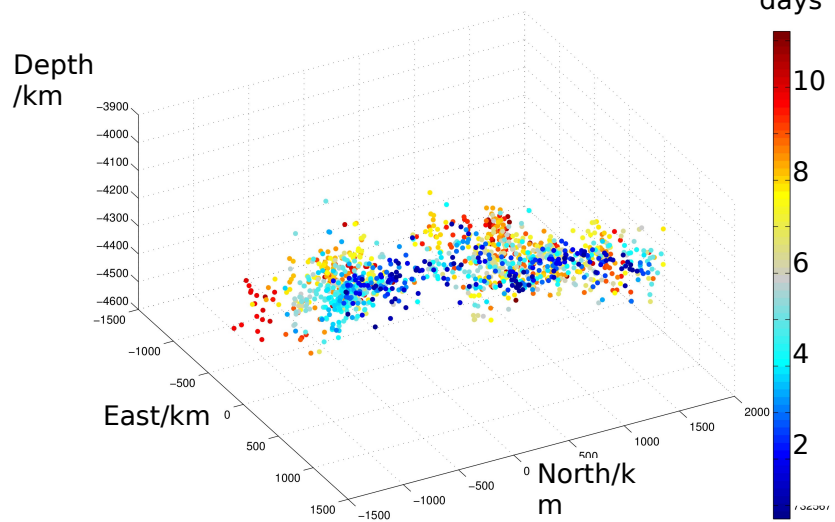
Stimulation Cooper Basin

- Injection starts:
10 September 2005
- Induced seismicity
starts 22 h later



Spatial distribution

- Injection starts: 10 September 2005
- 15,300 events detected
- Subset main stimulation
8,000 events $M_L \geq -0.9$
- Planar distribution on thrust fault



Inter-event dependancies

- Tectonic seismicity
 - After-/foreshock behaviour
 - Removing after-/foreshocks (declustering) → Poisson distributed events in time
 - Declustered seismicity → Gutenberg-Richter (GR) distribution
 $M \geq M_C$



$$t_A = t_0 \cdot e^{t_1 \cdot M} \quad \text{time window}$$

$$R_A = R_0 \cdot e^{R_1 \cdot M} \quad \text{radius}$$

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Parameter study for t_A and R_A

→ **True for induced seismicity?**

Inter-event dependancies

■ Fault dimensions (Abercrombie, 1995)

$$\begin{array}{ll}
 M = 0 & L = 10 \text{ m} \\
 M = 1 & L = 30 \text{ m} \\
 M = 2 & L = 100 \text{ m}
 \end{array}$$

■ Coda length (Bakun, 1984)

$$\begin{array}{ll}
 M = 1 & t_c = 2.3 \text{ s} \\
 M = 2 & t_c = 21 \text{ s}
 \end{array}$$

■ Triggering of aftershocks may be within $100 \cdot L$ and $10,000 \cdot t_c$

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Parameter study for
 t_A and R_A

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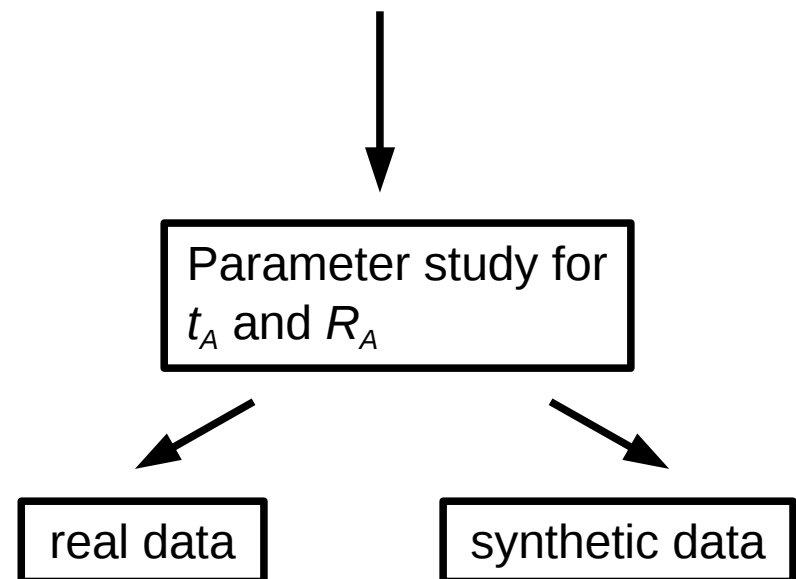
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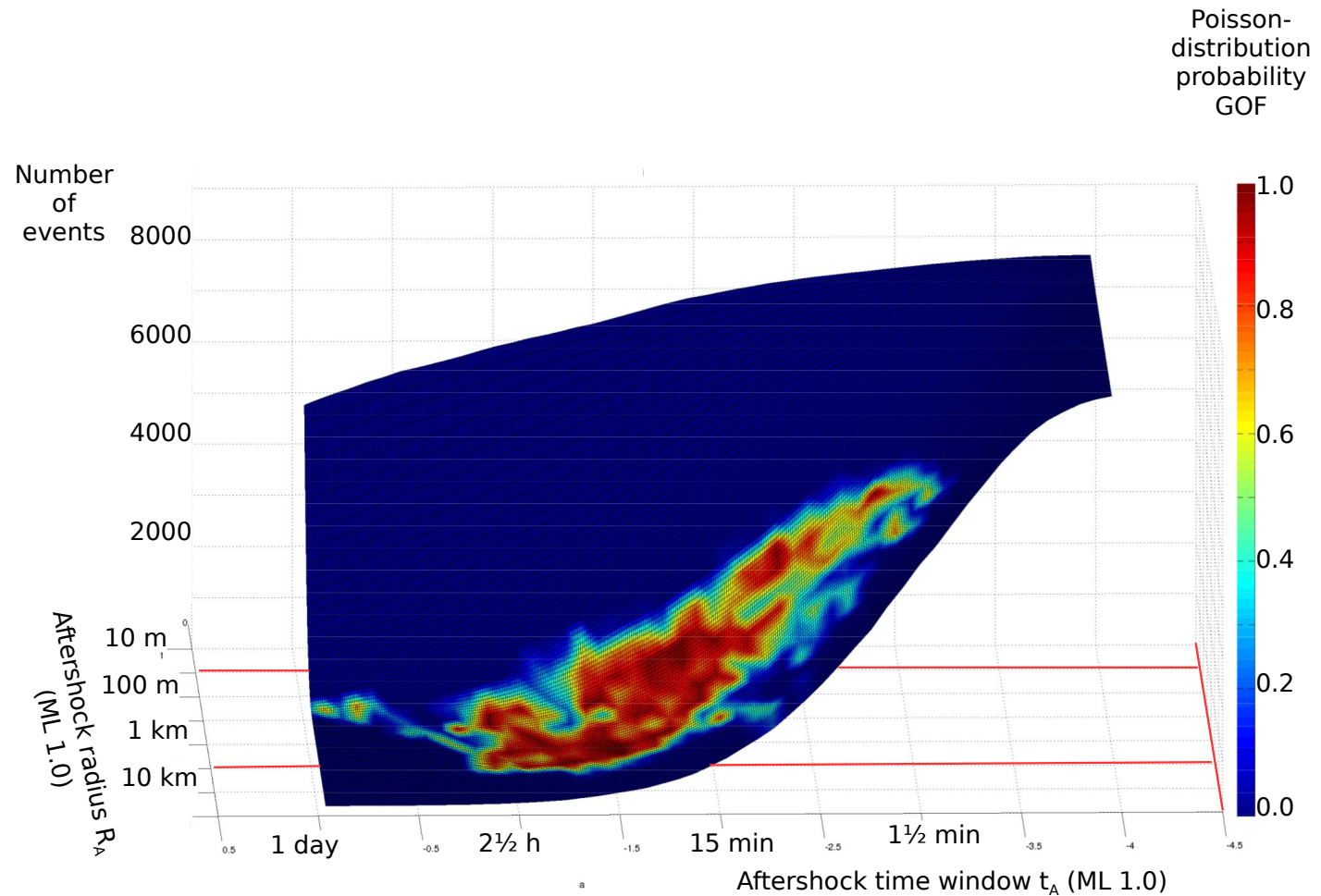
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Stimulation 2005

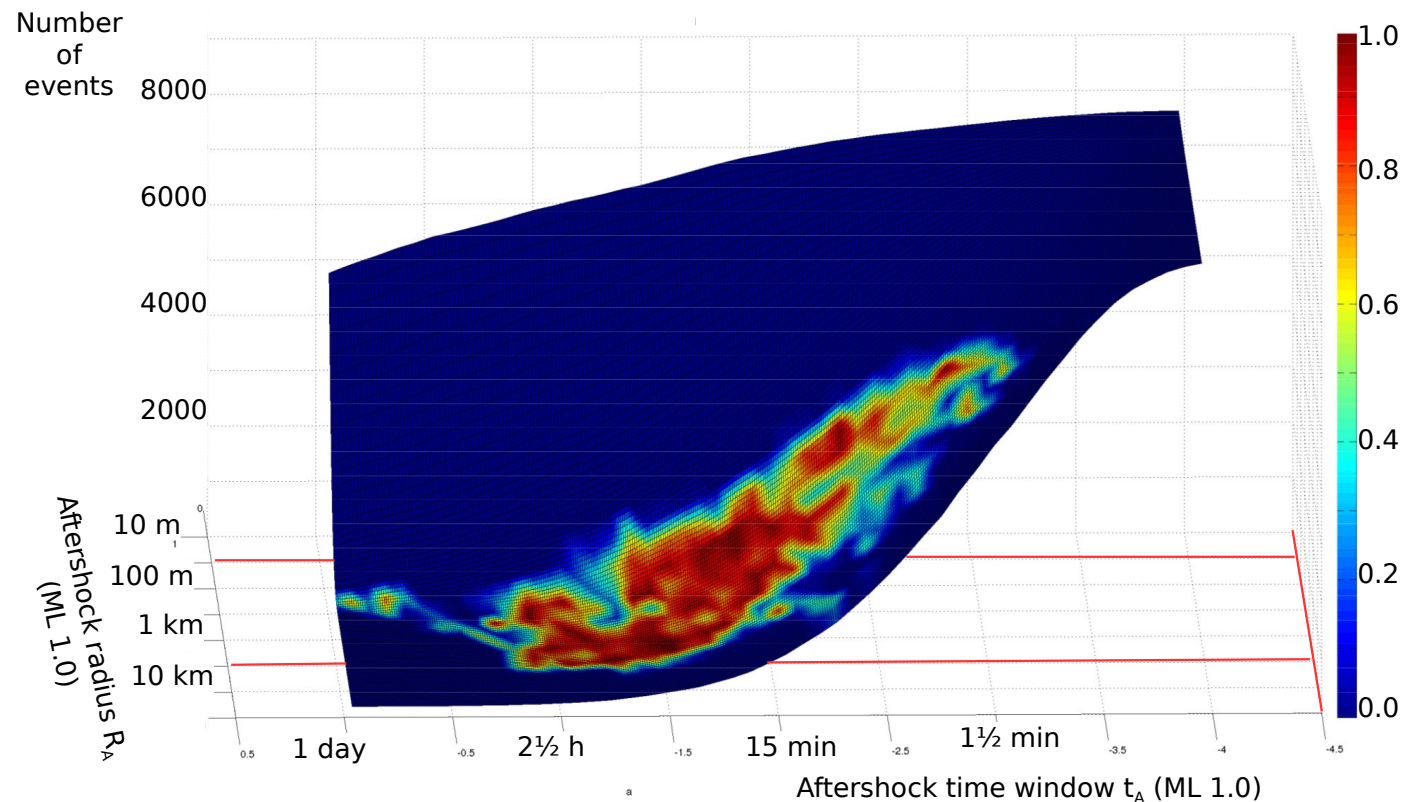
■ Poisson-distribution



Stimulation 2005

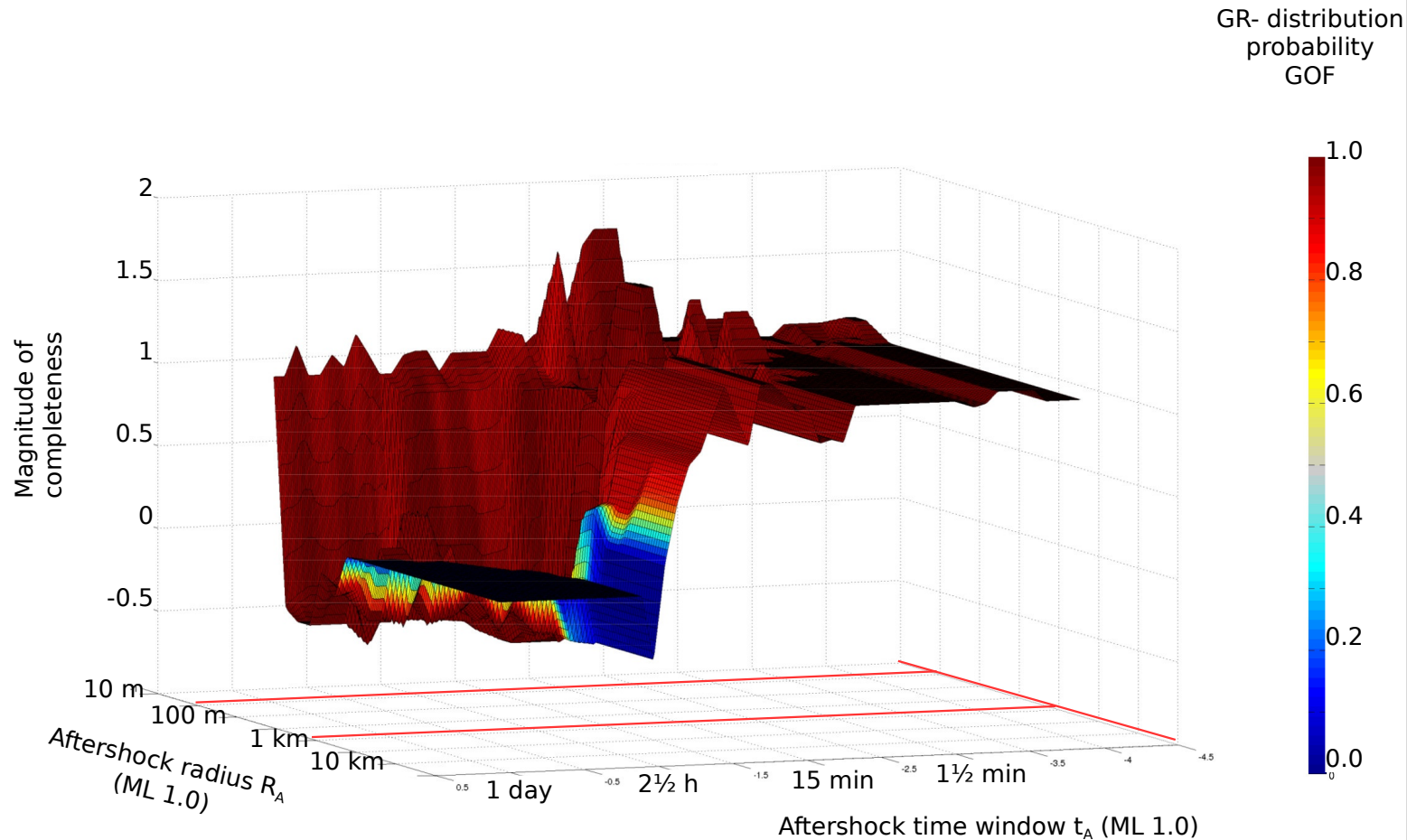
- Poisson-distribution → inherent
 - for high refusal rate
 - for high R_A , low t_A (non-stationary process)

Poisson-distribution
probability
GOF



Stimulation 2005

■ GR-distribution



Stimulation 2005

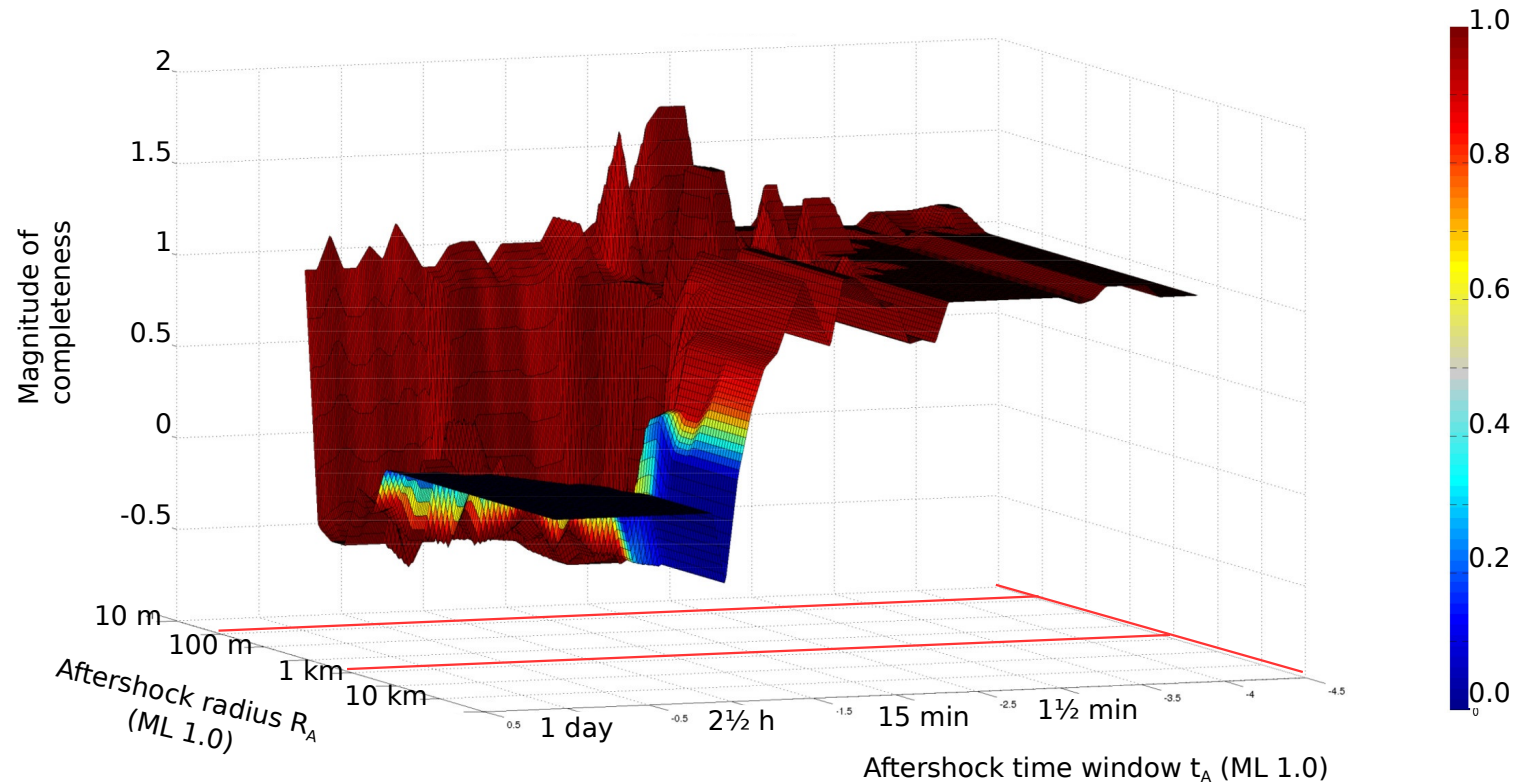
GR-distribution

- for very high M_C (statistical effect)
- for low R_A , high t_A with low M_C

→ criteria dependent

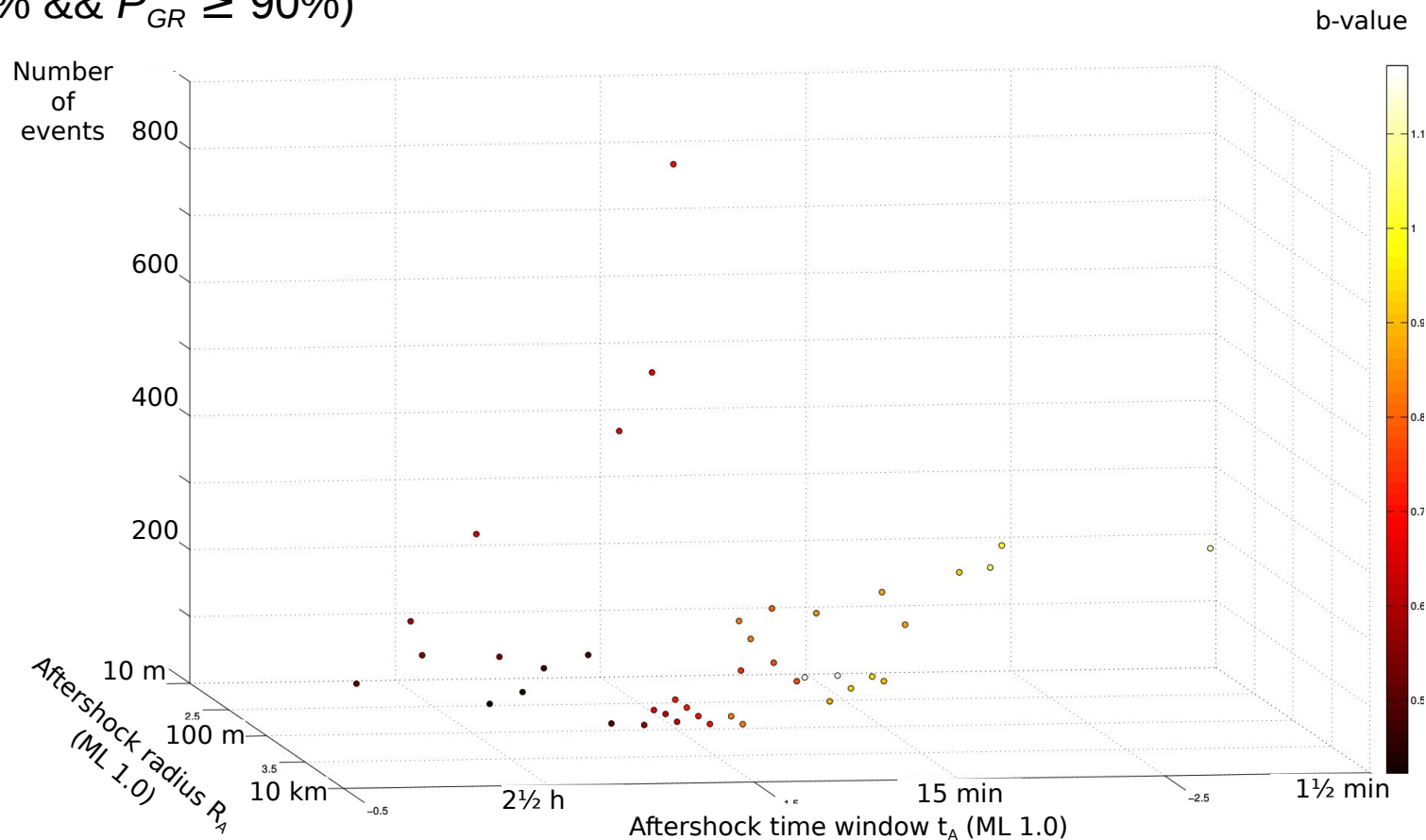
→ no masking
of small events

GR- distribution
probability
GOF



Stimulation 2005

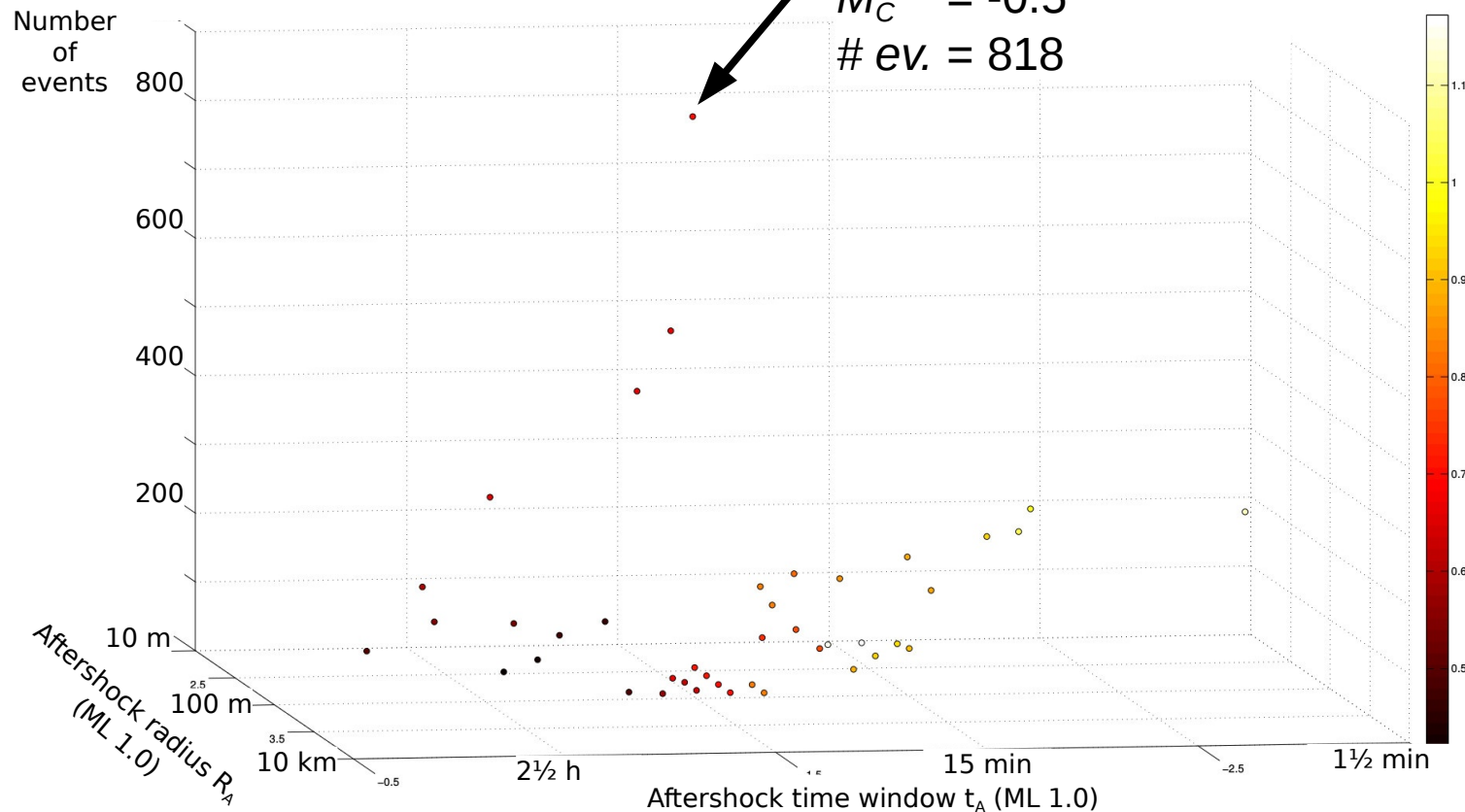
- Single realisations of GR-distributions and reasonable number of events
 ($P_{Pois} \geq 90\%$ & $P_{GR} \geq 90\%$)



Stimulation 2005

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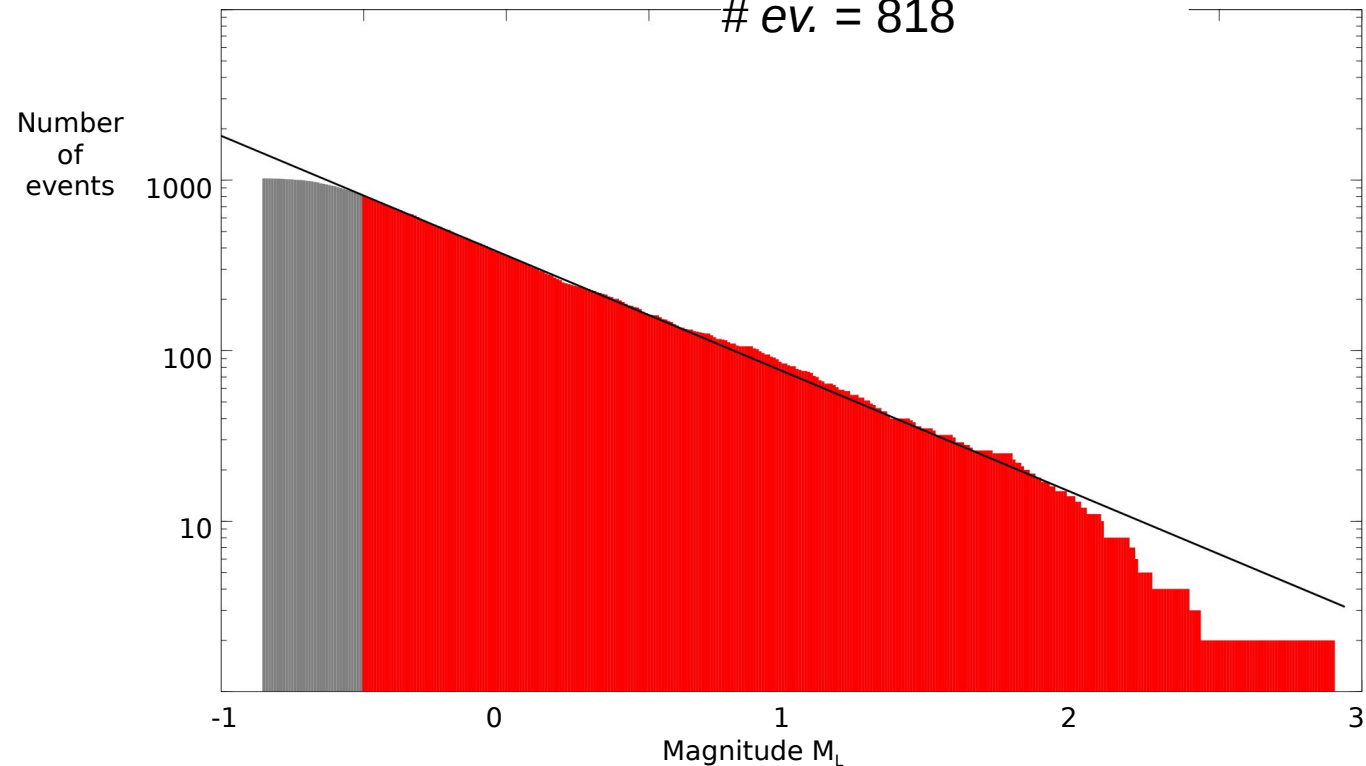
$R_A = 445 \text{ m}$ $P_{Pois} = 94\%$
 $T_A = 40 \text{ min}$ $P_{GR} = 99\%$
 $b = 0.7$
 $M_C = -0.5$
 $\# \text{ ev.} = 818$



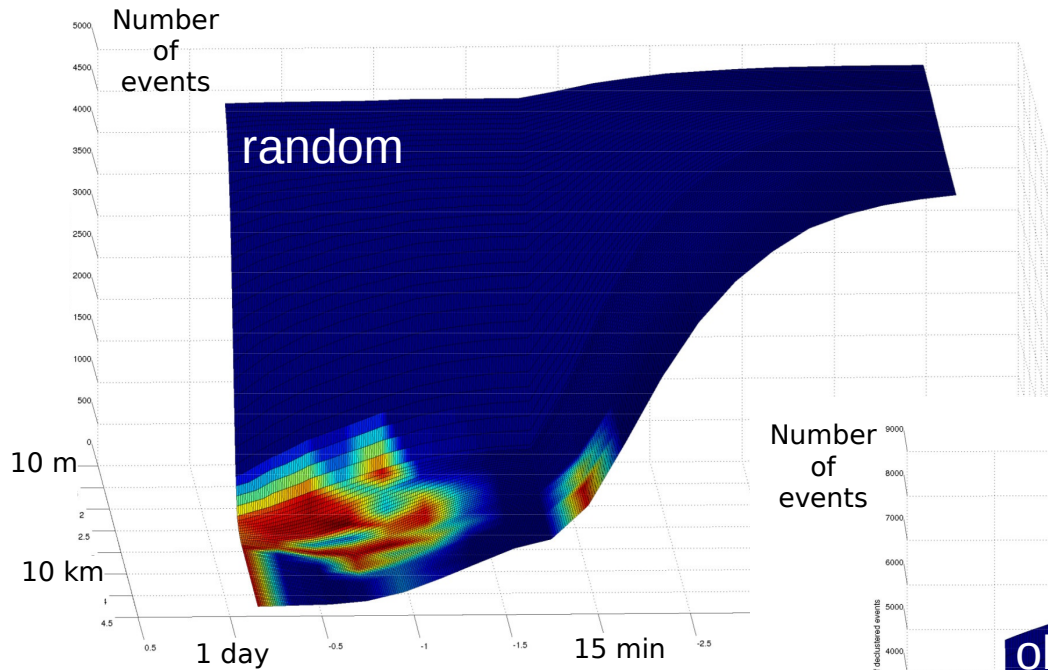
Stimulation 2005

- Best subset with Poisson- & GR-behaviour
- Declustered to 12% of original number

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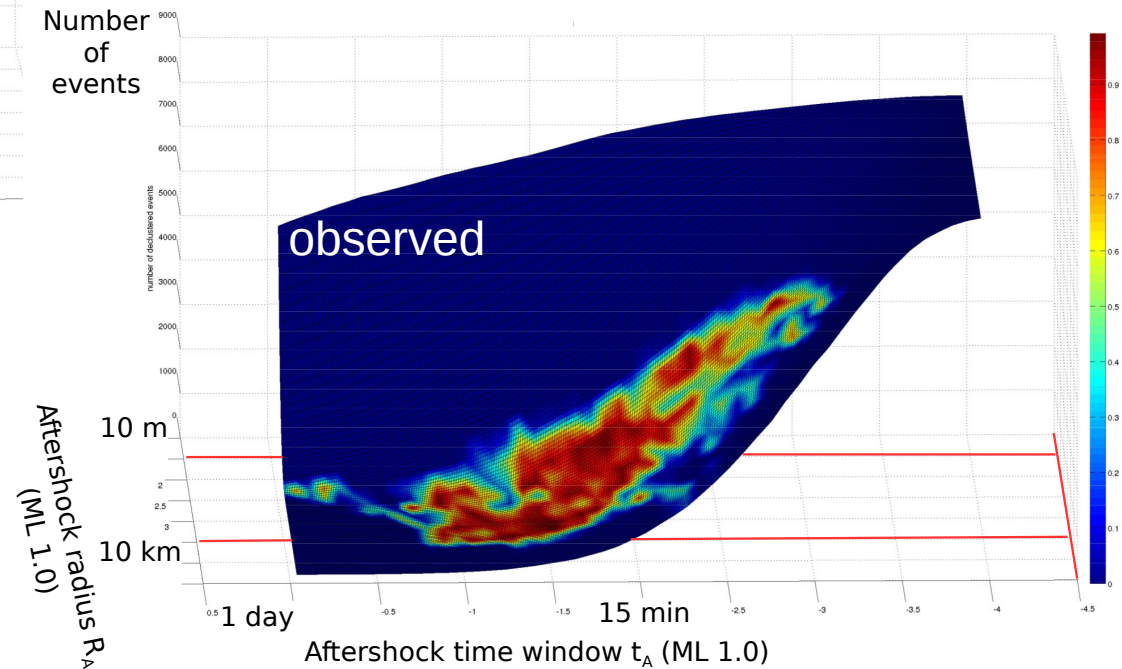


Random vs. observed data

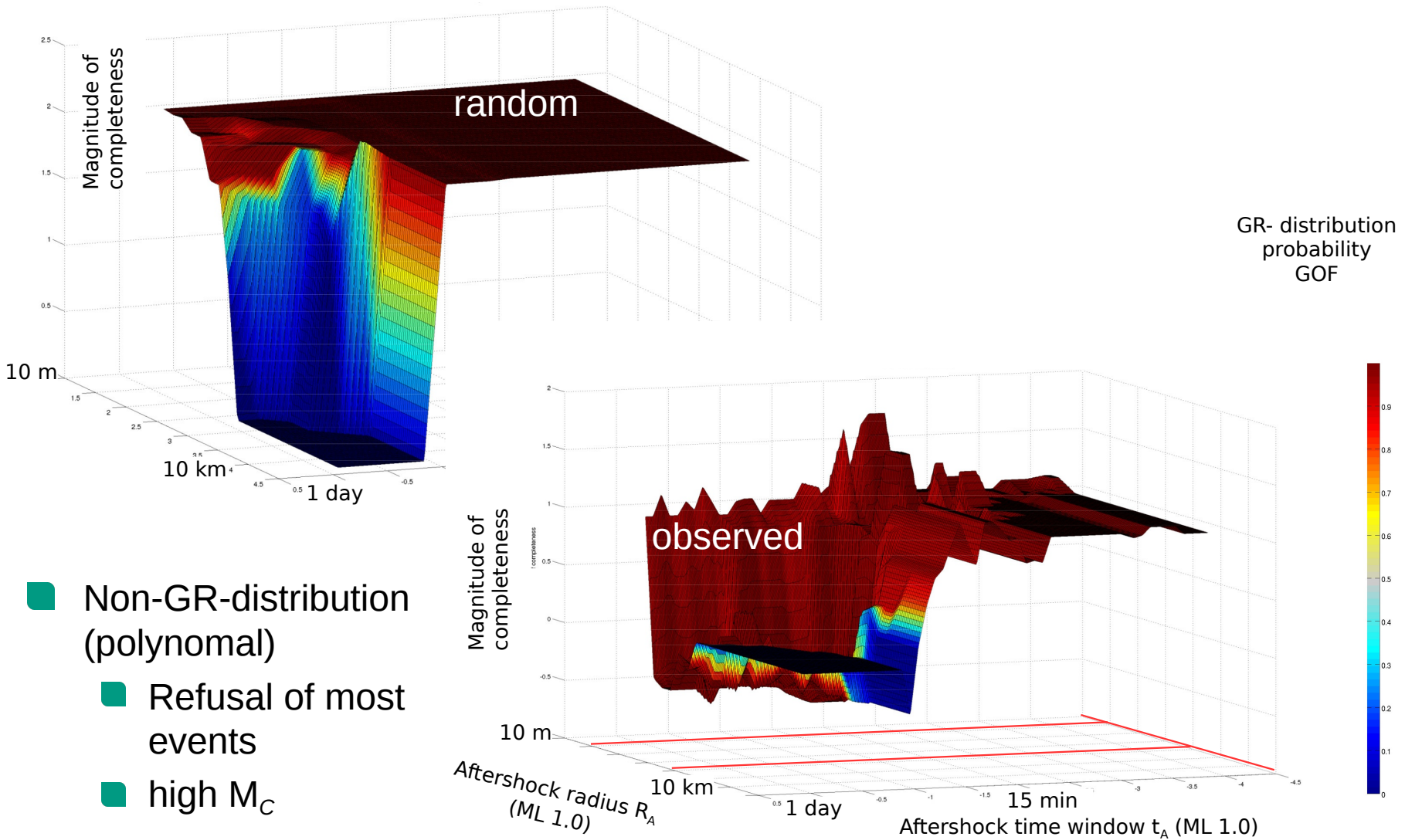


Poisson-distribution probability GOF

- Non-Poisson-distribution (uniform)
 - Refusal of most events
 - high t_A (hardly time dependent)



Random vs. observed data



- Non-GR-distribution (polynomial)
 - Refusal of most events
 - high M_C

Conclusions

- Observed data
 - Poissonian ✓
Aftershock behaviour apparent
 - Gutenberg-Richter (✓)
Single realisations of declustering, high refusal rate

- Uniform random data
 - Poissonian ✗
 - Gutenberg-Richter ✗
 - Refusal of most events

- Outlook
 - Further synthetic datasets (positive/false)
 - Time-/space-dependance
 - Influence of goodness-of-fit calculation

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Thank you



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